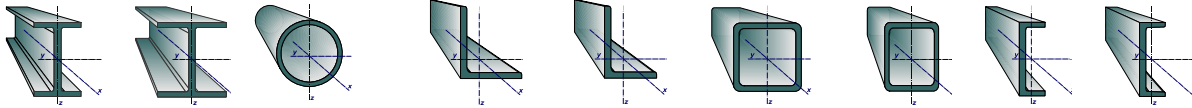




Design tables for Structural Steel Sections (Eurocode 3, EN1993-1-1:2005)

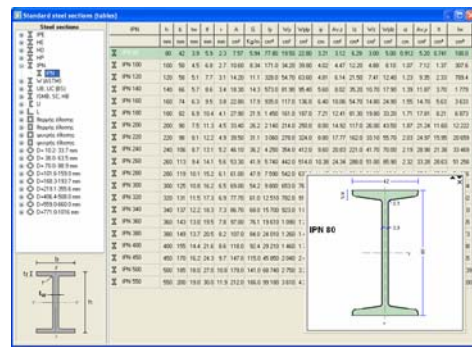
Tables with all the international steel sections, with their **dimensions, properties, classification, resistance and buckling resistance values** according to Eurocode 3, EN1993-1-1:2005. The tables are extended to welded section with dimensions given from the user.



Tables with dimensions and properties of standard steel sections

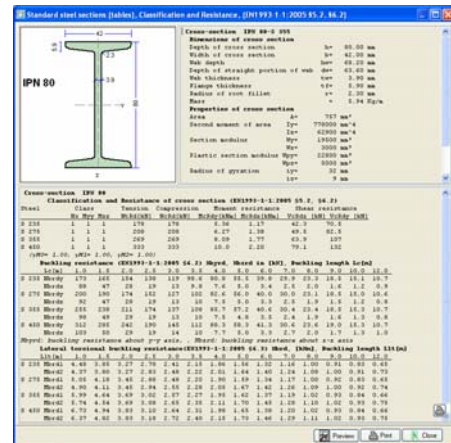
From the left tree you select the section type e.g. IPE, HE etc. On the right the table shows all the standard sections for this group and their dimensions and properties. Moving up and down the table on the right the section drawing is shown in scale (you can grab and move the section drawing around the window and you can make it small or bigger with the arrows).

Click or double click on a section and you obtain analytical report for the classification, resistance values and buckling resistance of the selected section.



Symbols

- h [mm]: Depth of cross section
- b [mm]: Width of cross section
- hw [mm]: Web depth
- dw [mm]: Depth of straight portion of web
- tw [mm]: Web thickness
- tf [mm]: Flange thickness
- r [mm]: Radius of root fillet
- G [Kg/m]: Mass
- A [cm²]: Area
- Iy [cm⁴]: Moment of area about axis y-y
- Iz [cm⁴]: Second moment of area about axis z-z
- Wy [cm³]: Section modulus about axis y-y
- Wz [cm³]: Section modulus about axis z-z
- Wpy [cm³]: Plastic section modulus about axis y-y
- Wpz [cm³]: Plastic section modulus about axis z-z
- iy [cm]: Radius of gyration about y-y axis
- iz [cm]: Radius of gyration about z-z axis
- Avz [cm²]: Shear area parallel to web
- Avy [cm²]: Shear area parallel to flanges
- It [cm⁴]: Torsional constant
- Iw [cm⁶]: Warping constant





Classification and resistance of standard steel sections

Classification of cross section according to EN1993-1-1:2005 §5.5.

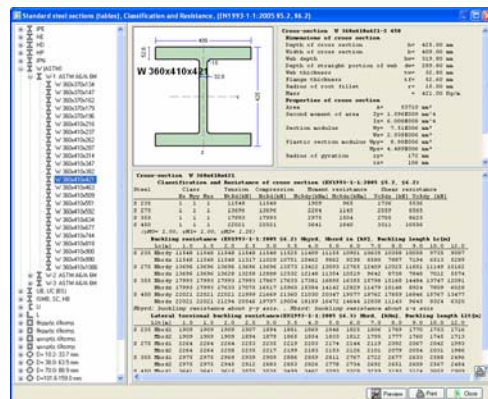
Resistance values of cross section according to EN1993-1-1:2005 §6.2.

Buckling resistance and lateral buckling resistance according to EN1993-1-1:2005 §6.3







From the tree on the left you select the section with its designation. On the right a drawing of the section profile is displayed together with the section dimensions and properties.

On the right window are also displayed:

- **Classification** (1,2,3,4) according to EN1993-1-1:2005 §5.5 for axial loading and loading with bending moments.
- **Resistances** of the section in compression, bending in y-y and z-z axis, and shear according to EN1993-1-1:2005 §6.2
- **Buckling resistance** for various buckling lengths (L_c) according to EN1993-1-1:2005 §6.3.1
- **Lateral torsional buckling resistance** for various lateral buckling lengths (L_{it}) according to EN1993-1-1:2005 §6.3.2



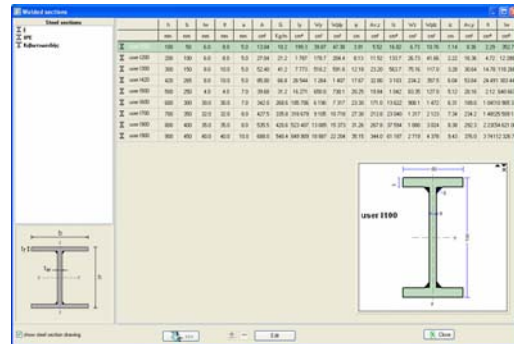
Symbols

-  **NtRd [kN]:** Tension resistance EN1993-1-1:2005 §6.2.3
-  **NcRd [kN]:** Compression resistance EN1993-1-1:2005 §6.2.4
-  **Mcrdy [kNm]:** Bending resistance about the strong y-y axis EN1993-1-1:2005 §6.2.5
-  **Mcrdz [kNm]:** Bending resistance about the weak z-z axis EN1993-1-1:2005 §6.2.5
-  **Vcrdz [kN]:** Shear resistance in the axis z-z parallel to web EN1993-1-1 §6.2.6
-  **Vcrdy [kN]:** Shear resistance in the axis y-y axis parallel to flanges EN1993-1-1:2005 §6.2.6
- Nbrdy [kN]:** Buckling resistance in compression about the strong y-y or weak z-z axis,
- Nbrdz [kN]:** for various buckling lengths L_c (1.00,1.50...15 m) EN1993-1-1:2005 §6.3.1
- Mbrd1 [kNm]:** Lateral torsional buckling resistance for various lengths between constrains
- Mbrd2 [kNm]:** L_{it} (1.00,1.5015 m) EN1993-1-1:2005 §6.3.2
- Mbrd1:** Lateral torsional buckling resistance for constant (uniform) bending moment diagram along the beam
- Mbrd2:** Lateral torsional buckling resistance for parabolic bending moment diagram along the beam



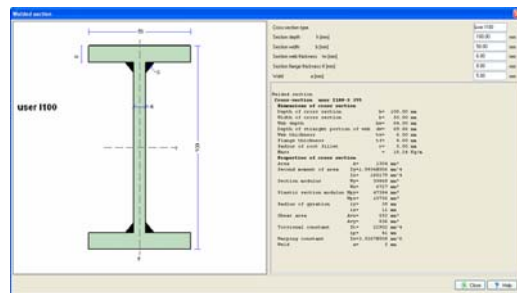
Tables with dimensions and properties of user defined welded steel sections

Click and you enter the window where you can enter the basic dimensions of a welded steel section. The strength properties of the section are listed at the same time. For adding new section or deleting existing click . Click to stop editing.



Classification and resistance of user defined welded steel sections

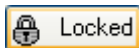
Same as for standard sections.



Parameters

The classification of the sections the strength and buckling resistances are produced for four steel grades, S235, S275, S355 and S450. The names and the basic values of steel grades can be changed from Parameters/Structural steel.

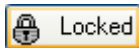
To do changes first click to unlock



Steel	Grade	f_y (MPa) $t < 40$ mm	f_u (MPa) $t < 40$ mm	f_y (MPa) $40 < t < 100$ mm	f_u (MPa) $40 < t < 100$ mm
S 235	EN 10025-2	235	360	215	360
S 275	EN 10025-2	275	430	255	410
S 355	EN 10025-2	355	510	335	470
S 450	EN 10025-2	440	550	410	550

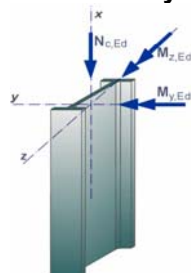
The partial factors for materials γ_{M0} , γ_{M1} , γ_{M2} which are use for the classification and resistance can be changed from Parameters/ Partial factors for materials.

To do changes first click to unlock

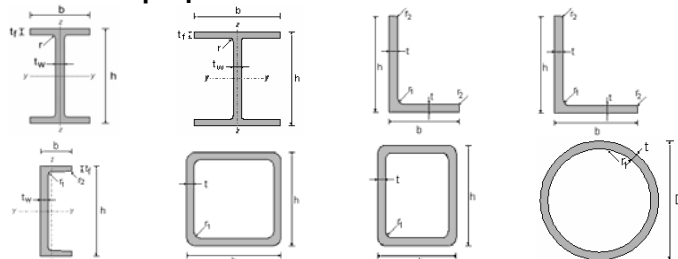


Partial factors for materials EN1993-1-1:2005, §6.1
$\gamma_{M0} =$ <input type="text" value="1.00"/>
$\gamma_{M1} =$ <input type="text" value="1.00"/>
$\gamma_{M2} =$ <input type="text" value="1.25"/>

Coordinate system



Sections properties





Steel section types included in the program

[-] IPE			IPE 80-600
+ IPE Euronorm 19-57	European I-beams		IPE A 80-600
+ IPE A			IPE O 180-600
+ IPE O			IPE V 400-600
+ IPE V			IPE 750
+ IPE 750			
[-] HE			HE A 100-1000
+ HE A (IPB1) Euronorm 53-62	European wide flange beams		HE AA 100-1000
+ HE AA			HE B 100-1000
+ HE B (IPB) Euronorm 53-62			HEM 100-1000
+ HE M (IPBv) Euronorm 53-62			HE 400-1000
+ HE Euronorm 53-62			
+ HL			HL 1000/1100
[-] HD			
+ HD-1	Beams with very wide flanges		HD 260x54.1 – 400x1086
+ HD-2 ASTM A6/A 6M			
[-] HP			
+ HP	Wide flange columns		HP 200x57.2 – 400x231
[-] IPN			
+ IPN	Wide flange bearing piles		IPN 80-550
[-] W (ASTM)			
+ W-1 ASTM A6/A 6M	European standard beams		W 360x370x134
+ W-2 ASTM A6/A 6M			W 1100x400x499
+ W-3 ASTM A6/A 6M			
[-] UB, UC (BS)			
+ UB-1 BS 4 part 1-1993	American wide flange beams		UB 178x102x19
+ UB-2 BS 4 part 1-1993			UB 914x419x388
+ UC BS 4 part 1-1993	British universal beams		UC 152x152x23
+ ISMB, SC, HB			UC 356x406x634
+ ISMB Indian Standard			
+ ISSC Indian Standard			
+ ISHB Indian Standard			
[-] U			
+ UPN	British universal columns		UPN 30-65
+ UAP NF A 45-255	European standard channels		UPN 80-400
+ UPE			UAP 80-300
+ UPE			UPE 80-400
[-] L			
+ L20x20x3.80x80x8 Euronorm 56-77	Channels with parallel flanges		L 20x20x3
+ L100x100x8..160x160x19 Euronorm 56-77			L 250x250x28
+ L180x180x16..250x250x28 Euronorm 56-77	Equal angles		L 30x20x3
+ L30x20x3.80x40x8 Euronorm 57-78			L 250x90x16
+ L90x60x6..130x40x12 Euronorm 57-78	Unequal angles		∅ 10.2x1.0
+ L150x75x9..250x90x16 Euronorm 57-78			∅ 1016x400
+ □ θερμής έλασης	Circular hollow sections		20x20x1.6
+ □ θερμής έλασης			400x400x12.5
+ □ ψυχρής έλασης	Square hollow sections cold formed		40x40x2.6
+ □ ψυχρής έλασης			400x400x20.0
+ ○ D= 10.2- 33.7 mm	Square hollow sections hot rolled		30x20x1.5
+ ○ D= 38.0- 63.5 mm			500x300x12.5
+ ○ D= 70.0- 88.9 mm	Rectangular hollow sections cold formed		50x30x2.6
+ ○ D=101.6-159.0 mm			400x260x17.5
+ ○ D=168.3-193.7 mm	Rectangular hollow sections hot rolled		
+ ○ D=219.1-355.6 mm			
+ ○ D=406.4-508.0 mm			
+ ○ D=559.0-660.0 mm			
+ ○ D=771.0-1016 mm			



Classification of cross sections EN 1993-1-1:2005 § 5.5

The design of steel elements can be done with elastic or plastic analysis depending on the class of the cross section.

The design of sections of classes 1 and 2 is based on the plastic resistance, the design of cross-sections of class 3 is based on elastic resistance and the design of cross-sections of class 4 is based on elastic resistance and effective cross section properties.

The classification of cross sections in 1, 2, 3 and 4 classes depends on the ratios of thickness to width of the parts of the cross-section which are in compression according to tables 5.2 of EN 1993-1-1:2005.

Table 5.2 EN 1993-1-1:2005 – Internal compression parts

Internal compression parts						
						Axis of bending
						Axis of bending
Class	Part subject to bending	Part subject to compression		Part subject to bending and compression		
1						
2	$c/t \leq 72\epsilon$	$c/t \leq 33\epsilon$		when $\alpha > 0,5$: $c/t \leq \frac{456\epsilon}{13\alpha - 1}$		
	$c/t \leq 83\epsilon$	$c/t \leq 38\epsilon$		when $\alpha \leq 0,5$: $c/t \leq \frac{41,5\epsilon}{\alpha}$		
3						
$\epsilon = \sqrt{235/f_y}$	f_y	235	275	355	420	460
	ϵ	1,00	0,92	0,81	0,75	0,71



Table 5.2 EN 1993-1-1:2005 – Outstanding flanges

Outstand flanges						
Rolled sections			Welded sections			
Class	Part subject to compression	Part subject to bending and compression				
		Tip in compression		Tip in tension		
Stress distribution in parts (compression positive)						
1	$c/t \leq 9\epsilon$	$c/t \leq \frac{9\epsilon}{\alpha}$	$c/t \leq \frac{9\epsilon}{\alpha\sqrt{\alpha}}$			
2	$c/t \leq 10\epsilon$	$c/t \leq \frac{10\epsilon}{\alpha}$	$c/t \leq \frac{10\epsilon}{\alpha\sqrt{\alpha}}$			
Stress distribution in parts (compression positive)						
3	$c/t \leq 14\epsilon$	$c/t \leq 21\epsilon\sqrt{k_\sigma}$ For k_σ see EN 1993-1-5				
$\epsilon = \sqrt{235/f_y}$	f_y	235	275	355	420	460
	ϵ	1,00	0,92	0,81	0,75	0,71

Table 5.2 EN 1993-1-1:2005 - Angles

Angles						
Refer also to "Outstand flanges" (see sheet 2 of 3)					Does not apply to angles in continuous contact with other components	
Class	Section in compression					
Stress distribution across section (compression positive)						
3	$h/t \leq 15\epsilon; \frac{b+h}{2t} \leq 11,5\epsilon$					
Tubular sections						
Class	Section in bending and/or compression					
1	$d/t \leq 50\epsilon^2$					
2	$d/t \leq 70\epsilon^2$					
3	$d/t \leq 90\epsilon^2$					
NOTE For $d/t > 90\epsilon^2$ see EN 1993-1-6.						
$\epsilon = \sqrt{235/f_y}$	f_y	235	275	355	420	460
	ϵ	1,00	0,92	0,81	0,75	0,71
	ϵ^2	1,00	0,85	0,66	0,56	0,51

**Ultimate limit states EN 1993-1-1:2005 § 6.2****Tension EN 1993-1-1:2005 § 6.2.3**

$$\frac{N_{Ed}}{N_{t,Rd}} \leq 1 \quad (\text{EN 1993-1-1, 6.5})$$

Design plastic resistance of the cross-section.

$$N_{pl,Rd} = \frac{A \cdot f_y}{\gamma_{M0}} \quad (\text{EN 1993-1-1, 6.6})$$

Design ultimate resistance of net cross-section at holes for fasteners.

$$N_{u,Rd} = \frac{0.9A_{net} \cdot f_u}{\gamma_{M2}} \quad (\text{EN 1993-1-1, 6.7})$$

A area of cross-section

A_{net} area of net cross-section (minus holes)

f_y yield strength of steel

f_u ultimate strength of steel

γ_{M0} , γ_{M2} partial factors for material

Compression EN 1993-1-1:2005 § 6.2.4

$$\frac{N_{Ed}}{N_{c,Rd}} \leq 1 \quad (\text{EN 1993-1-1, 6.9})$$

$$N_{c,Rd} = \frac{A \cdot f_y}{\gamma_{M0}} \quad \text{for class 1, 2, 3 cross-sections} \quad (\text{EN 1993-1-1, 6.10})$$

$$N_{c,Rd} = \frac{A_{eff} \cdot f_y}{\gamma_{M0}} \quad \text{for class 4 cross-sections} \quad (\text{EN 1993-1-1, 6.11})$$

A area of cross-section

A_{eff} effective area of cross-section

f_y yield strength of steel

γ_{M0} partial factors for material

In case the design value of shear is $V_{Ed} > 0.50 V_{pl,Rd}$ the reduced yield strength is used.

$$(1 - \rho) f_y, \quad \text{where } \rho = \left(\frac{2V_{Ed}}{V_{pl,Rd}} - 1 \right)^2 \quad (\text{EN 1993-1-1, 6.29})$$

**Bending moment EN 1993-1-1:2005 § 6.2.5**

$$\frac{M_{Ed}}{M_{c,Rd}} \leq 1 \quad (\text{EN 1993-1-1, 6.12})$$

Design resistance of cross section for bending about the principal (y-y) or secondary (z-z) axis.

$$M_{y,Rd} = M_{pl,y,Rd} = \frac{W_{pl,y} \cdot f_y}{\gamma_{M0}} \quad \text{for class 1, 2 cross-sections} \quad (\text{EN 1993-1-1, 6.13})$$

$$M_{z,Rd} = M_{pl,z,Rd} = \frac{W_{pl,z} \cdot f_y}{\gamma_{M0}} \quad \text{for class 1, 2 cross-sections}$$

$$M_{y,Rd} = M_{el,y,Rd} = \frac{W_{el,y} \cdot f_y}{\gamma_{M0}} \quad \text{for class 3 cross-sections} \quad (\text{EN 1993-1-1, 6.14})$$

$$M_{z,Rd} = M_{el,z,Rd} = \frac{W_{el,z} \cdot f_y}{\gamma_{M0}} \quad \text{for class 3 cross-sections}$$

$$M_{y,Rd} = M_{c,y,Rd} = \frac{W_{eff,y} \cdot f_y}{\gamma_{M0}} \quad \text{for class 4 cross-sections} \quad (\text{EN 1993-1-1, 6.15})$$

$$M_{z,Rd} = M_{c,z,Rd} = \frac{W_{eff,z} \cdot f_y}{\gamma_{M0}} \quad \text{for class 4 cross-sections}$$

$W_{pl,y}$ $W_{pl,z}$ *plastic section modulus about principal and secondary axis,*

$W_{el,y}$ $W_{el,z}$ *elastic section modulus about principal and secondary axis,*

$W_{eff,y}$ $W_{eff,z}$ *effective section modulus about principal and secondary axis,*

f_y *yield strength of steel*

γ_{M0} *partial factors for material*

When bending moment acts together with axial force design check is performed according to :

$$\frac{M_{Ed}}{M_{N,Rd}} \leq 1 \quad (\text{EN 1993-1-1, 6.31})$$

$$M_{N,Rd} = M_{pl,Rd} \left[1 - \left(\frac{N_{Ed}}{N_{pl,Rd}} \right)^2 \right] \quad (\text{EN 1993-1-1, 6.32})$$

In case the design value of shear is $V_{Ed} > 0.50 V_{pl,Rd}$ the reduced yield strength is used.

$$(1 - \rho) f_y, \quad \text{where } \rho = \left(\frac{2V_{Ed}}{V_{pl,Rd}} - 1 \right)^2 \quad (\text{EN 1993-1-1, 6.29})$$

**Bi-axial bending EN 1993-1-1:2005 § 6.2.9**

$$\left(\frac{M_{y,Ed}}{M_{y,Rd}}\right)^\alpha + \left(\frac{M_{z,Ed}}{M_{z,Rd}}\right)^\beta \leq 1 \quad (\text{EN 1993-1-1, 6.41})$$

For I and H sections: $\alpha=2$, $\beta=5n$, $\beta \geq 1$ ($n=N_{Ed}/N_{pl,Rd}$)

For circular hollow sections: $\alpha=2$, $\beta=2$

For rectangular hollow sections $\alpha=\beta=1.66/(1-1.13n^2)$

Shear EN 1993-1-1:2005 § 6.2.6

$$\frac{V_{Ed}}{V_{c,Rd}} \leq 1 \quad (\text{EN 1993-1-1, 6.17})$$

Plastic shear resistance parallel to the cross-section web.

$$V_{z,Rd} = V_{pl,z,Rd} = \frac{A_{vz} \cdot f_y}{\sqrt{3}\gamma_{M0}} \quad (\text{EN 1993-1-1, 6.18})$$

Plastic shear resistance parallel to the cross-section flanges.

$$V_{y,Rd} = V_{pl,y,Rd} = \frac{A_{vy} \cdot f_y}{\sqrt{3}\gamma_{M0}} \quad (\text{EN 1993-1-1, 6.18})$$

A_{vy} A_{vz} shear areas parallel to the cross-section web or flanges,

f_y yield strength of steel

γ_{M0} partial factors for material

**Buckling resistance of uniform members in compression EN 1993-1-1:2005 § 6.3.1**

Buckling resistance due to compression.

$$\frac{N_{Ed}}{N_{b,Rd}} \leq 1 \quad (\text{EN 1993-1-1, 6.46})$$

$$N_{b,Rd} = \frac{\chi A f_y}{\gamma_{M1}} \quad \text{for class 1, 2, 3 cross-sections} \quad (\text{EN 1993-1-1, 6.47})$$

$$N_{b,Rd} = \frac{\chi A_{eff} f_y}{\gamma_{M1}} \quad \text{for class 4 cross-sections} \quad (\text{EN 1993-1-1, 6.48})$$

The reduction factor χ is determined from the non-dimensional slenderness $\bar{\lambda}$

$$\chi = \frac{1}{\Phi + \sqrt{\Phi^2 - \bar{\lambda}^2}} \leq 1 \quad (\text{EN 1993-1-1, 6.49})$$

$$\Phi = 0.5 \left[1 + \alpha (\bar{\lambda} - 0.2) + \bar{\lambda}^2 \right]$$

$$\bar{\lambda} = \sqrt{\frac{A f_y}{N_{cr}}}; N_{cr} = \frac{\pi^2 E A}{\lambda^2}; \lambda = \frac{l_{eff}}{i}; i = \sqrt{\frac{I}{A}}$$

$\bar{\lambda}$ non-dimensional slenderness,

N_{cr} elastic critical buckling load,

L_{cr} equivalent buckling length,

λ slenderness,

i radius of gyration.

The imperfection factor α which corresponds to the appropriate buckling curve a₀, a, b, c, d should be obtained from Table 6.2 of Eurocode 3, EN 1993-1-1:2005:

Buckling curve	a ₀	a	b	C	d
Imperfection factor α	0.13	0.21	0.34	0.49	0.76

Equivalent buckling lengths L_{cr}/L

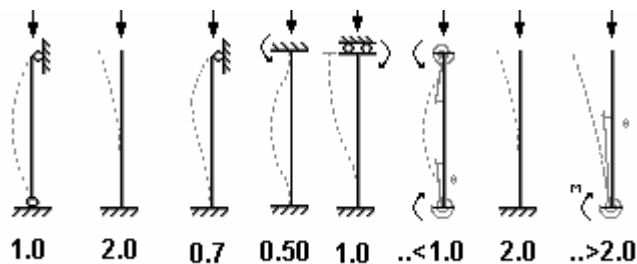




Table 6.2 EN 1993-1-1:2005 Selection of buckling curve of a cross-section

Cross section	Limits	Buckling about axis	Buckling curve		
			S 235 S 275 S 355 S 420	S 460	
<p>Rolled sections</p>	$h/b > 1,2$	y-y z-z	$t_f \leq 40$ mm	a b	a ₀ a ₀
			$40 \text{ mm} < t_f \leq 100$	b c	a a
	$h/b \leq 1,2$	y-y z-z	$t_f \leq 100$ mm	b c	a a
			$t_f > 100$ mm	d d	c c
<p>Welded I-sections</p>	$t_f \leq 40$ mm	y-y z-z	b c	b c	
	$t_f > 40$ mm	y-y z-z	c d	c d	
<p>Hollow sections</p>	hot finished	any	a	a ₀	
	cold formed	any	c	c	
<p>Welded box sections</p>	generally (except as below)	any	b	b	
	thick welds: $a > 0,5t_f$ $b/t_f < 30$ $h/t_w < 30$	any	c	c	
<p>U-, T- and solid sections</p>		any	c	c	
<p>L-sections</p>		any	b	b	

**Lateral torsional buckling for uniform members EN 1993-1-1:2005 § 6.3.2**

Lateral torsional buckling of uniform members in bending.

$$\frac{M_{Ed}}{M_{b,Rd}} \leq 1 \quad (\text{EN 1993-1-1, 6.54})$$

$$M_{b,Rd} = \frac{\chi_{LT} W_y f_y}{\gamma_{M1}} \quad (\text{EN 1993-1-1, 6.55})$$

$W_y = W_{pl,y}$ for class 1, 2 cross-sections,

$W_y = W_{el,y}$ for class 3 cross-sections,

$W_y = W_{eff,y}$ for class 4 cross-sections.

The reduction factor χ_{LT} is determined from the non-dimensional slenderness $\bar{\lambda}_{LT}$

$$\chi_{LT} = \frac{1}{\Phi_{LT} + \sqrt{\Phi_{LT}^2 - \bar{\lambda}_{LT}^2}} \leq 1 \quad (\text{EN 1993-1-1, 6.56})$$

$$\Phi_{LT} = 0.5 \left[1 + \alpha_{LT} (\bar{\lambda}_{LT} - 0.2) + \bar{\lambda}_{LT}^2 \right]$$

$$\bar{\lambda}_{LT} = \sqrt{\frac{W_y f_y}{M_{cr}}}$$

The imperfection factor α which corresponds to the appropriate buckling curve a,b,c,d:

Buckling curve	a	b	C	d
Imperfection factor α_{LT}	0.21	0.34	0.49	0.76

Recommended values for torsional buckling curves:

Rolled Sections $h/b < 2$ buckling curve a, $h/b > 2$ buckling curve b

Welded sections $h/b < 2$ buckling curve c, $h/b > 2$ buckling curve d

The critical elastic moment for lateral torsional buckling is computed according to Annex F of Eurocode 3-1-1 (1992).

$$M_{cr} = C_1 \frac{\pi^2 EI_z}{(kL)^2} \left[\sqrt{\left(\frac{k}{k_w} \right)^2 \frac{I_w}{I_z} + \frac{(kL)^2 GI_t}{\pi^2 EI_z}} + (C_2 Z_g - C_3 Z_j)^2 - (C_2 Z_g - C_3 Z_j) \right]$$

C_1, C_2, C_3 , coefficients depending on the loading conditions and support conditions, for a beam with uniform bending moment diagram $C_1=1.000, C_2=0.000, C_3=1.000$ for a beam with parabolic bending moment diagram $C_1=1.132, C_2=0.459, C_3=0.525$

I_t St. Venant torsional constant,

I_w warping constant,

I_z second moment of inertia about the weak axis,

L beam length between the support points,

k, k_w coefficients depending on the support conditions,

Z_g distance of shear center from point of load application



Uniform members in bending and compression EN 1993-1-1:2005 § 6.3.4

$$\frac{N_{Ed}}{x_y N_{Rk} / \gamma_{M1}} + k_{yy} \frac{M_{Y,Ed}}{\chi_{LT} M_{y,Rk} / \gamma_{M1}} + k_{yz} \frac{M_{z,Ed}}{M_{z,Rk} / \gamma_{M1}} \leq 1 \quad (\text{EN 1993-1-1, 6.61})$$

$$\frac{N_{Ed}}{x_z N_{Rk} / \gamma_{M1}} + k_{zy} \frac{M_{Y,Ed}}{\chi_{LT} M_{y,Rk} / \gamma_{M1}} + k_{zz} \frac{M_{z,Ed}}{M_{z,Rk} / \gamma_{M1}} \leq 1 \quad (\text{EN 1993-1-1, 6.62})$$

$$N_{Rk} = Af_y$$

$$M_{y,Rk} = W_{pl,y} f_y \text{ for class 1, 2 cross-sections}$$

$$M_{y,Rk} = W_{el,y} f_y \text{ for class 3 cross-sections,}$$

$$M_{y,Rk} = W_{eff,y} f_y \text{ for class 4 cross-sections,}$$

$$M_{z,Rk} = W_{pl,z} f_y \text{ for class 1, 2 cross-sections}$$

$$M_{z,Rk} = W_{el,z} f_y \text{ for class 3 cross-sections,}$$

$$M_{z,Rk} = W_{eff,z} f_y \text{ for class 4 cross-sections.}$$

The interaction coefficients k_{yy} , k_{yz} , k_{zy} , k_{zz} are determined from tables B.1 and B.2

Table B.1 interaction coefficients k_{yy} , k_{yz} , k_{zy} , k_{zz}

Interaction factors	Type of sections	Design assumption	
		elastic cross-sectional properties class 3, class 4	plastic cross-sectional properties class 1, class 2
k_{yy}	I-sections RHS-sections	$C_{my} \left(1 + 0,6 \bar{\lambda}_y \frac{N_{Ed}}{\chi_y N_{Rk} / \gamma_{M1}} \right)$ $\leq C_{my} \left(1 + 0,6 \frac{N_{Ed}}{\chi_y N_{Rk} / \gamma_{M1}} \right)$	$C_{my} \left(1 + (\bar{\lambda}_y - 0,2) \frac{N_{Ed}}{\chi_y N_{Rk} / \gamma_{M1}} \right)$ $\leq C_{my} \left(1 + 0,8 \frac{N_{Ed}}{\chi_y N_{Rk} / \gamma_{M1}} \right)$
k_{yz}	I-sections RHS-sections	k_{zz}	$0,6 k_{zz}$
k_{zy}	I-sections RHS-sections	$0,8 k_{yy}$	$0,6 k_{yy}$
k_{zz}	I-sections	$C_{mz} \left(1 + 0,6 \bar{\lambda}_z \frac{N_{Ed}}{\chi_z N_{Rk} / \gamma_{M1}} \right)$ $\leq C_{mz} \left(1 + 0,6 \frac{N_{Ed}}{\chi_z N_{Rk} / \gamma_{M1}} \right)$	$C_{mz} \left(1 + (2\bar{\lambda}_z - 0,6) \frac{N_{Ed}}{\chi_z N_{Rk} / \gamma_{M1}} \right)$ $\leq C_{mz} \left(1 + 1,4 \frac{N_{Ed}}{\chi_z N_{Rk} / \gamma_{M1}} \right)$
	RHS-sections		$C_{mz} \left(1 + (\bar{\lambda}_z - 0,2) \frac{N_{Ed}}{\chi_z N_{Rk} / \gamma_{M1}} \right)$ $\leq C_{mz} \left(1 + 0,8 \frac{N_{Ed}}{\chi_z N_{Rk} / \gamma_{M1}} \right)$

For I- and H-sections and rectangular hollow sections under axial compression and uniaxial bending $M_{y,Ed}$ the coefficient k_{zy} may be $k_{zy} = 0$.



Table B.2

Interaction factors	Design assumptions	
	elastic cross-sectional properties class 3, class 4	plastic cross-sectional properties class 1, class 2
k_{yy}	k_{yy} from Table B.1	k_{yy} from Table B.1
k_{yz}	k_{yz} from Table B.1	k_{yz} from Table B.1
k_{zy}	$\left[1 - \frac{0,05\bar{\lambda}_z}{(C_{mLT} - 0,25)} \frac{N_{Ed}}{\chi_z N_{Rk} / \gamma_{M1}} \right]$ $\geq \left[1 - \frac{0,05}{(C_{mLT} - 0,25)} \frac{N_{Ed}}{\chi_z N_{Rk} / \gamma_{M1}} \right]$	$\left[1 - \frac{0,1\bar{\lambda}_z}{(C_{mLT} - 0,25)} \frac{N_{Ed}}{\chi_z N_{Rk} / \gamma_{M1}} \right]$ $\geq \left[1 - \frac{0,1}{(C_{mLT} - 0,25)} \frac{N_{Ed}}{\chi_z N_{Rk} / \gamma_{M1}} \right]$ <p>for $\bar{\lambda}_z < 0,4$:</p> $k_{zy} = 0,6 + \bar{\lambda}_z \leq 1 - \frac{0,1\bar{\lambda}_z}{(C_{mLT} - 0,25)} \frac{N_{Ed}}{\chi_z N_{Rk} / \gamma_{M1}}$
k_{zz}	k_{zz} from Table B.1	k_{zz} from Table B.1

Factor	Bending axis	Points braced in direction
C _{my}	y-y	z-z
C _{mz}	z-z	y-y
C _{mLT}	y-y	y-y

Table B.3

Moment Diagram	Range		C _{my} , C _{mz} и C _{mLT} under loading	
			Distributed	Concentrated
	-1 ≤ ψ ≤ 1		0,6 + 0,4 ψ ≥ 0,4	
 $\alpha_s = M_s / M_h$	0 ≤ α _s ≤ 1	-1 ≤ ψ ≤ 1	0,2 + 0,8 α _s ≥ 0,4	0,2 + 0,8 α _s ≥ 0,4
	-1 ≤ α _s < 0	0 ≤ ψ ≤ 1	0,1 - 0,8 α _s ≥ 0,4	-0,8 α _s ≥ 0,4
-1 ≤ ψ < 0		0,1(1 - ψ) - 0,8 α _s ≥ 0,4	0,2(-ψ) - 0,8 α _s ≥ 0,4	
 $\alpha_h = M_h / M_s$	0 ≤ α _h ≤ 1	-1 ≤ ψ ≤ 1	0,95 + 0,05 α _h	0,90 + 0,10 α _h
	-1 ≤ α _h < 0	0 ≤ ψ ≤ 1	0,95 + 0,05 α _h	0,90 + 0,10 α _h
-1 ≤ ψ < 0		0,95 + 0,05 α _h (1 + 2ψ)	0,90 - 0,10 α _h (1 + 2ψ)	

Bibliography

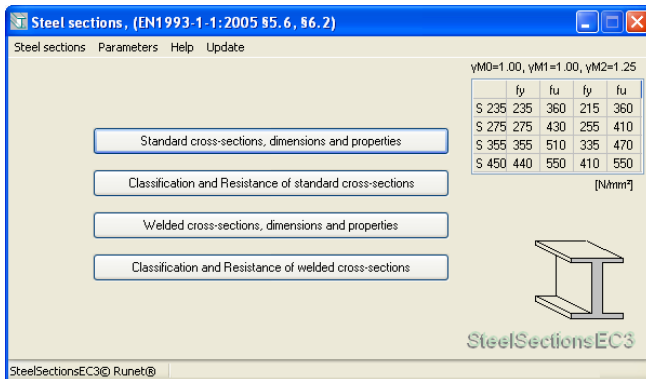
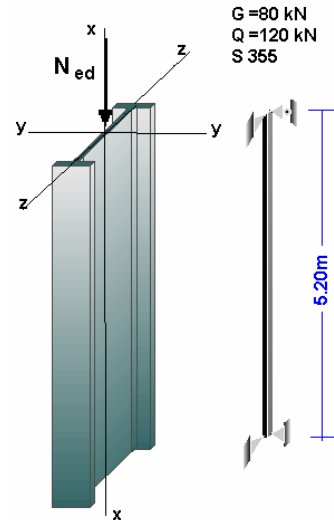
Eurocode 3, EN1993-1-1:2005



Examples

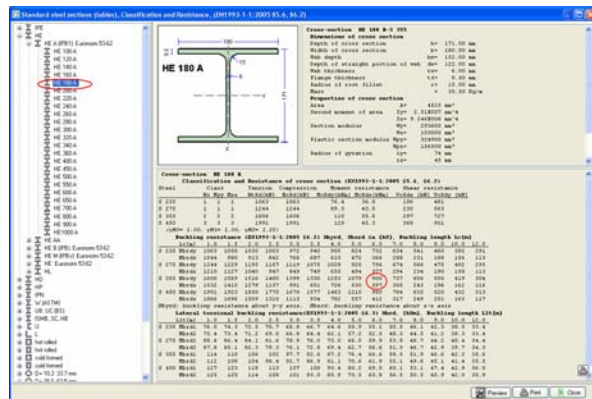
Example 1

Steel column 5.20 m.
 Axial load $G = 80$ kN, variable axial load $Q = 120$ kN.
 Steel S 355.
 Total axial design load:
 $N_{ed} = 1.35 \times G + 1.50 \times Q = 1.35 \times 80 + 1.50 \times 120 = 288$ kN
 Buckling lengths: $L_{iy} = 5.20$ m, $L_{iz} = 5.20$ m



In the main program screen, click Classification and Resistance of standard cross-sections

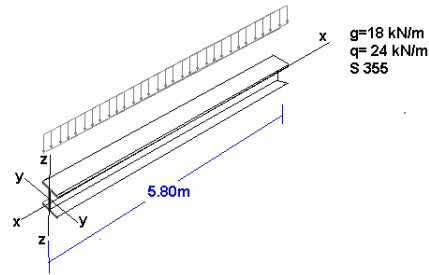
From the tree control on the left select section type **HEA**.
 Click + and all the sections of type HEA are displayed.
 For steel grade **S 355** and buckling length **5.20 m** (table values between 5.0 m and 6.0m), check N_{byrd} and N_{bzrd} (buckling resistances in compression in y-y and z-z axis) to be greater than the design load of the column $N_{ed}=288$ kN. Section **HE 180 A** is OK.
 For buckling length **6.0m**>5.20m, the section has, buckling resistances in compression $N_{byrd} = 900$ kN > 288 kN and $N_{bzrd} = 397$ kN > 288 kN.





Example 2

Beam 5.80 m with loads.
 Permanent load $g = 18 \text{ kN/m}$.
 Variable load $q = 24 \text{ kN/m}$.
 Steel S 355.
 Design load:
 $q_{ed} = 1.35 \times 18.0 + 1.50 \times 24.0 = 60.30 \text{ kN/m}$
 Maximum design bending moment:
 $M_{y,ed} = 60.30 \times 5.80^2 / 8 = 253.6 \text{ kNm}$
 Maximum design shearing force:
 $V_{z,ed} = 60.30 \times 5.80 / 2 = 174.9 \text{ kN}$



In the main program screen, click Classification and Resistance of standard cross-sections

From the tree control on the left select section type **IPE**.
 Click + and all the sections of type IPE are displayed.
 For steel grade **S 355** and lateral buckling length $L_{Lr} = 5.80 \text{ m}$ (table 6.0m), check **Mbrd2** (parabolic bending moment diagram) to be greater than the maximum bending moment acting on the beam $M_{y,ed} = 253.6 \text{ kNm}$.
 Section **IPE 500** is OK.
 For lateral buckling length $6.0\text{m} > 5.80 \text{ m}$, has resistance in bending moment due to lateral buckling **Mbrd2 = 288 kNm** $> 253.6 \text{ kNm}$
 From the table above you can check the resistances in shear and bending.
 Shear resistance **Vc,rdz = 1227 kN**, bending resistance **Mc,rdy = 779 kNm**.

